

ADVS Assessment [2019-2020]

Emphasis: Bioveterinary

Skill and Career Competencies [SCC]: Learning Outcome [LO] #2

Semester/Course: Fall 2019: ADSV 4560: Principles of Animal Genetics and Breeding

Artifact: Homework #6

The Homework #6 Assignment is an assessment of SCCLO #2. The assessment measures the student's ability to Demonstrate a working knowledge of mathematics including Calculus and Statistics by having students apply statistics to the characterization of quantitative traits and genetic prediction.

2. Demonstrate Quantitative competency.

ADVS 4560: Homework #6

Problems:

15.3) Cushy Pearson has a thing for bay colored horses. He purchased a single foal. He has four mares available: one brown, one mouse colored, one black, and one chestnut. Assume the following:

- The inheritance of coat color in horses is no more complicated than it appears in Table 15.1.
- Cushy has no information on the genotypes of his horses other than their phenotypes.
- No linkage exists among the four loci shown in Table 15.1.
- Frequencies of coat color alleles in the Thoroughbred population are estimated to be:

Allele	Frequency
A	0.6
a	0.3
a'	0.1
C	0.7
c	0.3
D	0.2
d	0.8
E	0.3
e	0.7

a. To which mare should Cushy mate his bay stallion in order to maximize the likelihood of producing a bay foal?

The Brown or Black mare

b. To which mare should Cushy be sure not to mate his stallion?

The Mouse mare

c. Prove your answers mathematically.

Color	Genotype	Probability That a Mating will Produce the Desired One-Locus Genotype				Probability of Bay Foal
		A_	CC	dd	E_	

Brown	$a'aCCdDE_$ or $a'aCCdDe_$	0.8	1	1	0.8775	0.70
Mouse	$aaC_DdE_$	0.8	0.85	0.4	0.8775	0.24
Black	$aaCCdDE_$	0.8	1	1	0.8775	0.70
Chestnut	$__CCddee$	0.92	1	1	0.65	0.60

Stallion genotype: $A_CCdDE_$ (Bay)

Mares:

- $a'aCedDE_$ (Brown)
- $aaC_D_E_$ (Mouse)
- $aaCCdDE_$ (Black)
- $__CCddee$ (Chestnut)

*Begin proving the answer mathematically by first finding the A loci for the stallion and for all the mares. To find the probability of receiving a dominant A allele we will use the equation $P_{[non-A]}$ because we are looking for the probability of getting a non-dominant allele from each parent (anything besides the A).

Start with the stallion:

- $P_{[non-A]} = \frac{1}{2}$ (probability of giving a non-A) + $\frac{1}{2}$ (probability of giving a non-A)
- $P_{[non-A]} = \frac{1}{2}$ (0 because he has the large A allele) + $\frac{1}{2}$ (a + a') because those are the frequencies of the non-A alleles; we do not know what the stallion has here so it could be either one
- $P_{[non-A]} = \frac{1}{2}$ (0) + $\frac{1}{2}$ (0.3 + 0.1) = 0.2 probability of giving a non-A

Now do each mare:

- Brown: $P_{[non-A]} = \frac{1}{2}$ (a') + $\frac{1}{2}$ (a') = $\frac{1}{2}$ (1) + $\frac{1}{2}$ (1) = 1 because she is never going to give an A so she will always give a non-A allele, therefore the frequency is 100% or 1
- Mouse: $P_{[non-A]} = \frac{1}{2}$ (a') + $\frac{1}{2}$ (a') = $\frac{1}{2}$ (1) + $\frac{1}{2}$ (1) = 1 same as the mare above
- Black: $P_{[non-A]} = \frac{1}{2}$ (a') + $\frac{1}{2}$ (a') = $\frac{1}{2}$ (1) + $\frac{1}{2}$ (1) = 1 same as the mare above
- Chestnut: $P_{[non-A]} = \frac{1}{2}$ (a + a') + $\frac{1}{2}$ (a + a') = $\frac{1}{2}$ (0.3 + 0.1) + $\frac{1}{2}$ (0.3 + 0.1) = 0.4 because we don't know the actual alleles in this mare, we use the frequencies for the non-A alleles in ~~table~~ place to find her probability

*Now we have found the probabilities for the stallion and the mares; the next step is to simulate a mating between them to find the actual probability of receiving a dominant A allele

- The equation will now look like this $P[A_]$ because it is the phenotype we are looking for.